

$$\begin{aligned}
&T \\
&K(\Gamma(T))) := T \setminus C_S(T) \\
&T \\
&\mathbb{P}(T) \in L(\Gamma(T))x \neq yxy = yx \\
&Z^m \\
&S^\times \\
&2 \\
&F \\
&M_n(F) \\
&Diameters of commuting graphs of matrices over semirings (2012)
\end{aligned}$$

$$\begin{aligned}
&\beta \\
&T \\
&S \\
&S \\
&(Z_2, \cdot) \\
&k \\
&+, \cdot \\
&k \\
&+ \\
&0 \\
&k \\
&1 \\
&0 \\
&(k, \cdot) \\
&Z, Q, R \\
&\beta = \\
&\{0, 1\} \\
&0 \\
&\cdot \\
&0 = \\
&1 \\
&\cdot \\
&0 = \\
&0 \\
&\cdot \\
&0 = \\
&1 + \\
&1 \\
&= \\
&1 + \\
&0 = \\
&1 \\
&S \\
&a + \\
&b = \\
&a = \\
&b = \\
&a b = \\
&a = \\
&a = \\
&b = \\
&0 \\
&(L, \leq \\
&) \\
&x, y \in \\
&L \\
&x, y \\
&(L, \cap, \cup) \\
&L \\
&\bigcap \\
&x, y, z \in \\
&L \\
&y \cap \\
&x = \\
&y \cap \\
&>y \cup \\
&>x = \\
&x \cap \\
&y \\
&(x \cap \\
&y) \cap \\
&x \cap \\
&(y \cap \\
&z) \\
&(x \cup \\
&y) \cup \\
&>x \cup \\
&(y \cup \\
&z) \\
&>x \cap \\
&>x \cap \\
&(x \cup \\
&y) \\
&>x \cup \\
&(x \cap \\
&y) \\
&(L, \leq \\
&) \\
&>x \cap \\
&>y = \\
&\inf(x, y) \\
&(L, \cap, \cup) \\
&(L, \cap, \cup)
\end{aligned}$$